

Package: lamW (via r-universe)

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Type Package

Title Lambert-W Function

Version 2.2.4

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Description Implements both real-valued branches of the Lambert-W function (Corless et al, 1996) <doi:10.1007/BF02124750> without the need for installing the entire GSL.

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Imports Rcpp, RcppParallel

LinkingTo Rcpp, RcppParallel

SystemRequirements GNU make

Suggests covr, tinytest, methods

NeedsCompilation yes

URL <https://github.com/aadler/lamW>

BugReports <https://github.com/aadler/lamW/issues>

UseLTO yes

Repository <https://aadler.r-universe.dev>

RemoteUrl <https://github.com/aadler/lamw>

RemoteRef HEAD

RemoteSha 1ee5753f9337c1b117def5525fd8c00e222adba9

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 lamW-package

Lambert-W Function

Description

Implements both real-valued branches of the Lambert-W function (Corless et al, 1996) <doi:10.1007/BF02124750> without the need for installing the entire GSL.

Details

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Author(s)

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 lambertW

Lambert-W Function

Description

The Lambert-W function is defined as the multivalued inverse of the function $z = f(W) = We^W$. The function has two branches. The principal branch is defined on the interval $[-\frac{1}{e}, +\infty)$ and is always greater than or equal to -1 . The second branch is defined on the interval $[-\frac{1}{e}, 0)$ and is always less than or equal to -1 . The real-valued function is not defined for values less than $-\frac{1}{e}$.

Usage

```
lambertW0(x)
lambertWm1(x)
```

Arguments

x **numeric** vector of values

Details

The Lambert-W function is defined for all real $x \geq -\frac{1}{e}$. It has two values in the interval $(-\frac{1}{e}, 0)$. The values strictly greater than -1 are assigned to the “principal” branch, also referred to as W_0 , and the values strictly less than -1 are assigned to the “secondary” branch, referred to as W_{-1} . For non-negative x , only the principal branch exists as the other real-valued branch approaches negative infinity as x approaches 0. The algorithms used to calculate the values predominantly follow those in the reference with some simplifications. There are many applications in which the Lambert-W function is useful, such as combinatorics, physics, and hydrology. The interested reader is directed to the references for more detail.

Value

Both functions return the appropriate values in the intervals for which they are defined. Outside of those intervals, they will return NaN, except that `lambertW0(Inf)` will return its limit `Inf` and `lambertWm1(0)` will return its limit `-Inf`.

Author(s)

Avraham Adler <Avraham.Adler@gmail.com>

References

Corless, R. M., Gonnet, G. H., Hare, D. E., Jeffrey, D. J., Knuth, D. E. 1996 "On the Lambert W function", *Advances in Computational Mathematics*, **5**, 329–359, Springer <doi:10.1007/BF02124750>

Fritsch, F. N.; Shafer, R. E. & Crowley, W. P. 1973 "Solution of the transcendental equation ($w e^w = x$)", *Communications of the ACM*, **16**, 123–124, Association for Computing Machinery (ACM) <doi:10.1145/361952.361970>

See Also

This package provides similar functionality to the [Lambert](#) functions in the `gsl` package without having to obtain or install the entire GSL.

Examples

```
lambertW0(exp(1))    ## Should equal 1, as 1 * exp(1) = e.
lambertW0(0)        ## Should equal 0, as 0 * exp(0) = 0.
lambertW0(-exp(-1)) ## Should equal -1.
lambertWm1(-exp(-1)) ## Should also equal -1.
A <- -2 * exp(-2)
lambertWm1(A)       ## Should equal -2
```

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